大同大學 98 學年度研究所碩士班入學考試試題

考試科目:控制系統

所別:電機工程研究所

第1頁共2頁

不可以參考自己的書籍及筆記;

不可以使用字典;

不可以使用計算器。

- 1. Consider the PI feedback system shown in Fig. P-1, where Y(s) is the output and R(s) is the input.
 - (a) (8%) Use Routh's criterion to determine the region in the K versus K_I plane for which the system is stable (Use K as the vertical axis and K_I as the horizontal axis.)
 - (b) (8%) What condition must PI controller gains (K, K_I) satisfy so that the system output can track a step reference input with constant steady-state error?

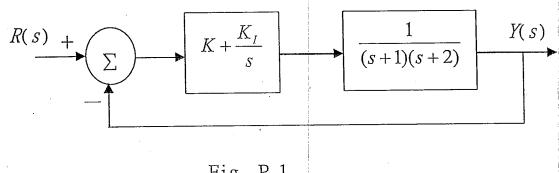
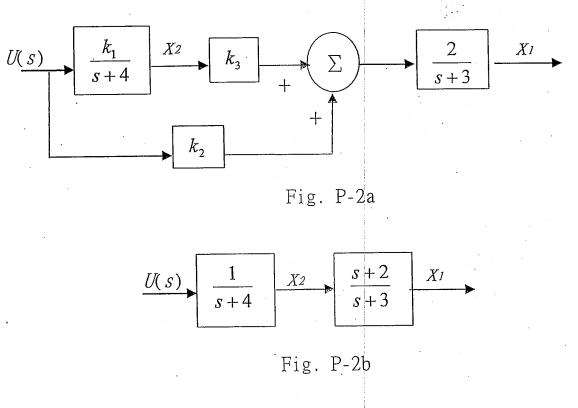


Fig. P-1

- 2. Consider the equivalent systems shown in Figs. P-2a and P-2b, where k_1 , k_2 , and k_3 are constant parameters to be determined.
 - (a) (8%) Using the state variables x_1 and x_2 , write the state equations for the system of Fig. P-2a.
 - (b) (10%) Using the state equations from (a) and the equivalent system of Fig. P-2b, find k_1 , k_2 , and k_3 so that the determinant of the controllability matrix is 1.



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第2頁共2頁

註:本次考試 不可以參考自己的書籍及筆記;

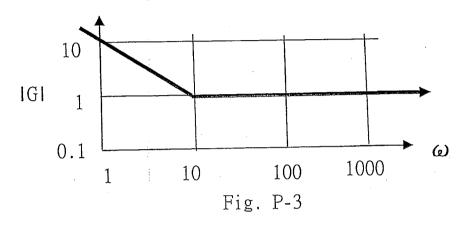
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3. A certain system G(s) is represented by the asymptotic Bode diagram shown in Fig. P-3.

- (a) (8%) Find G(s).
- (b) (8%) Find the time response of this system to a unit step input (assuming zero initial conditions).



4. Consider the discrete-time system

$$x(k+1) = \begin{bmatrix} 1 & 1 \\ 0 & 1 \end{bmatrix} x(k) + \begin{bmatrix} 0.5 \\ 1 \end{bmatrix} u(k)$$

where a state-feedback controller can be described as $u(k) = -[\ell_1 \quad \ell_2]x(t)$.

- (a) (10%) Determine a state-feedback controller such that the closed-loop poles are in the origin (i.e., 0 and 0).
- (b) (10%) Find the control sequence u(0) and u(1) if the discrete-time system has the initial state $\mathbf{x}(0) = \begin{bmatrix} 1 \\ 1 \end{bmatrix}^T$.
- 5. Let the process be the DC motor with the state-space model

$$\frac{dx(t)}{dt} = \begin{bmatrix} -1 & 0 \\ 1 & 0 \end{bmatrix} x(t) + \begin{bmatrix} 1 \\ 0 \end{bmatrix} u(t)$$
$$y(t) = \begin{bmatrix} 0 & 1 \end{bmatrix} x(t)$$

- (a) (10%) Describe the discrete-time state-space representation of the above continuous-time system with the sampling period h.
- (b) (10%) Determine the transfer function, poles, and zeros of the above sampled-data (or discrete-time) system with the sampling period h, respectively.
- 6. (10%) Please distinguish five important considerations in any control system design problem.